## PERIODIC TEST -1

NAME: SUBJECT: MATHEMATICS

CLASS: XII MARKS: 20

## \*GENERAL INSTRUCTIONS:

- 1. The question paper comprises of five section A, B, C, D, and E. You have to attempt all the section
- 2. Question numbers 1 to 3 in sections A. Q.1 to 3 are one marks questions
- 3. Question numbers 4 in section b are two marks questions.
- 4. Questions number 5 and 6 in section C are three marks questions.
- 5. Question number 7 in section D are five marks questions
- 6. Questions number 8 are cased based question in section E are 4 marks question.

SECTION: A

- Q.1) If a relation R on the set  $\{1, 2, 3, 4\}$  is defined by  $R = \{(1, 2), (3, 4)\}$ . Then R is
  - a. Asymmetric b. transitive
- c. symmetric d. reflexive

- Q.2) Domain of cos<sup>-1</sup> [x] is
  - a. 1,1
- b. -1,2
- c. -1,1
- d. -2,1
- Q.3) Find the principal value of cos<sup>-1</sup>(-1/2)

SECTION: B

Q.4) Find the value of  $\sin \left[2\cot^{-1}(-5/12)\right]$ 

SECTION: C

Q.5) Find the value of  $tan^{-1}(1) + cos^{-1}(-1/2) + sin^{-1}(-1/2)$ 

Q.6) If 
$$A = \begin{bmatrix} 0 & -1 & 2 \\ 4 & 3 & -4 \end{bmatrix}$$
 then verify that: (A')' = A

SECTION: D

Q.7) If 
$$A=\begin{bmatrix}2&3\\1&-4\end{bmatrix}$$
 and  $B=\begin{bmatrix}1&-2\\-1&3\end{bmatrix}$  then verify that (AB)<sup>-1</sup> = B<sup>-1</sup>A<sup>-1</sup>

## SECTION: E

- Q.8) Read the text carefully and answer the questions: Three shopkeepers A, B and C go to store to buy stationary. A purchase 12 dozen notebooks, 5 dozen pens and 6 dozen pencils. B purchases 10 dozen notebooks, 6 dozen pens and 7 dozen pencils. C purchases 11 dozen notebooks, 13 dozen pens and 8 dozen pencils. A notebook costs 40, a pen costs 12 and a pencil costs 3.
  - 1. How are the number of items purchased by shopkeepers A, B and C represented in matrix from?
  - 2. If X represents a matrix, and Y represents the matrix formed by the cost of each item, what does the product X Y equal?
  - 3. If  $A^2 = A$ , then what is the value of  $(A + I)^3 7A$ ?
  - 4. If A and B are 3 X 3 matrices such that  $A^2 B^2 = (A-B)(A+B)$ , then show that AB = BA